

Rice and vortex matter in superconductors
are similar granular systems

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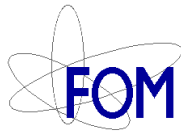
Marco Welling

Radboud Günther



vrije universiteit amsterdam

Vrije Universiteit – Amsterdam – Pays Bas



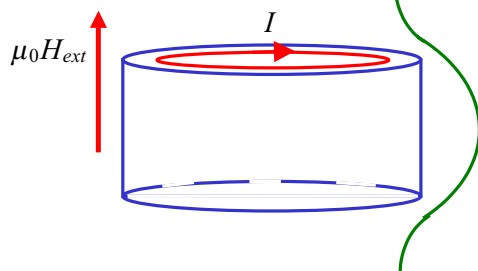
Carcassonne 25 September 2002

Overview

- **Roughening of flux-scapes**
- Roughening of rice piles
- Analysis and discussion

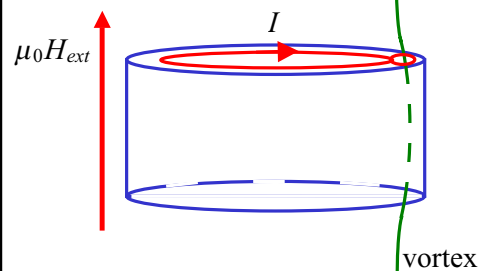
Brief intro superconductors: 1

Superconductors expel magnetic field



Brief intro superconductors: 1

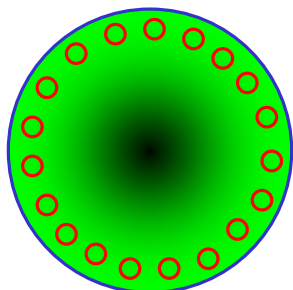
Superconductors expel magnetic field



Brief intro superconductors: 2

At high fields: fieldlines penetrate the sc through 'vortices'

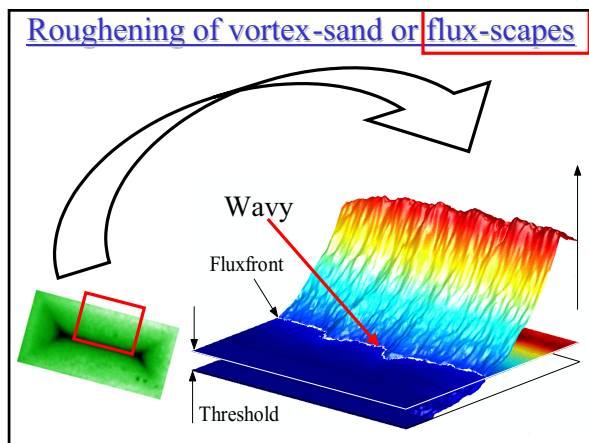
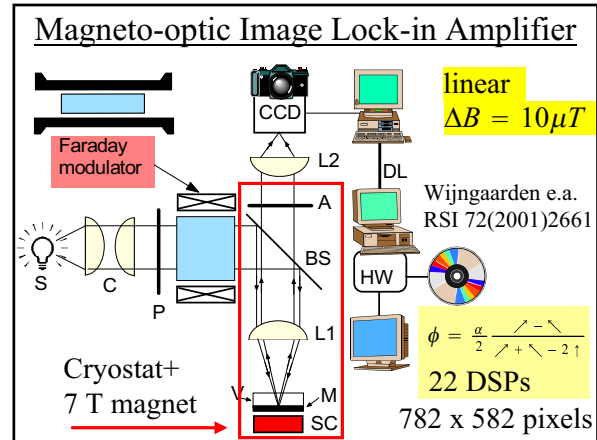
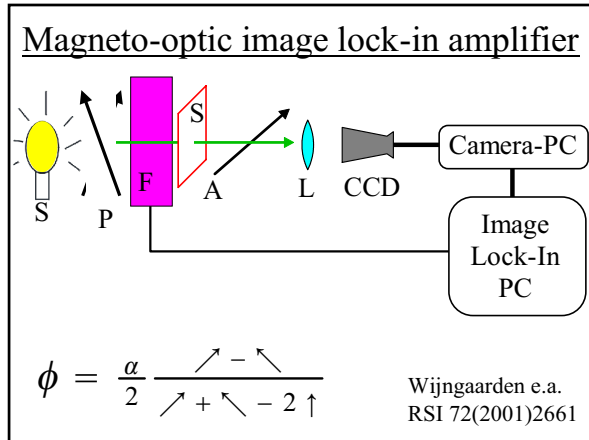
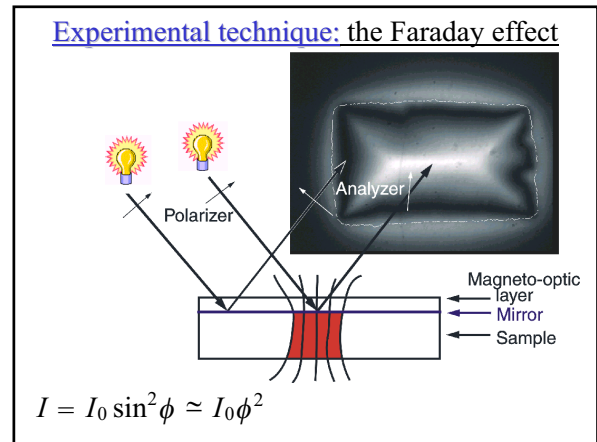
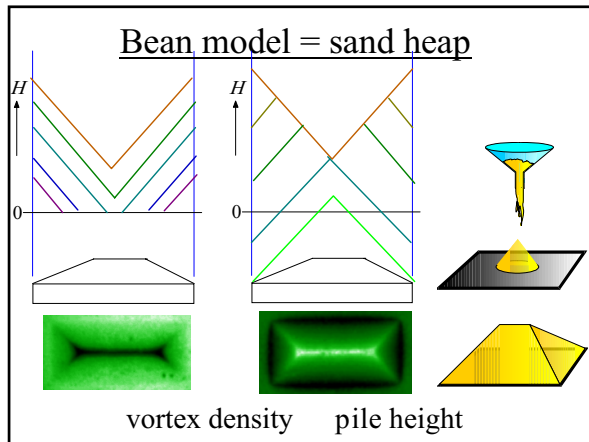
Vortices are pinned



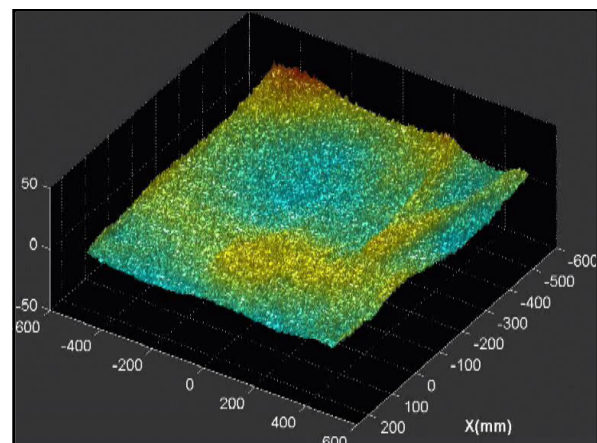
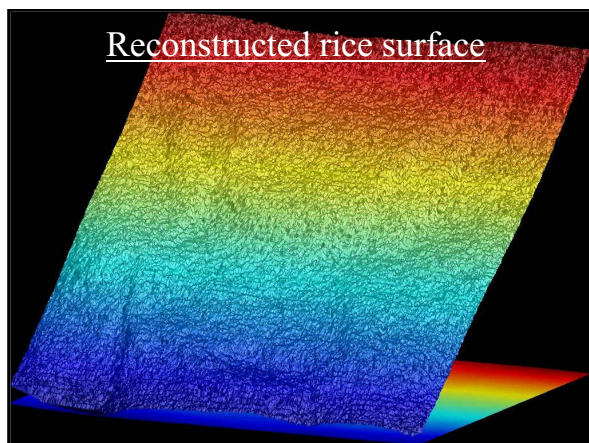
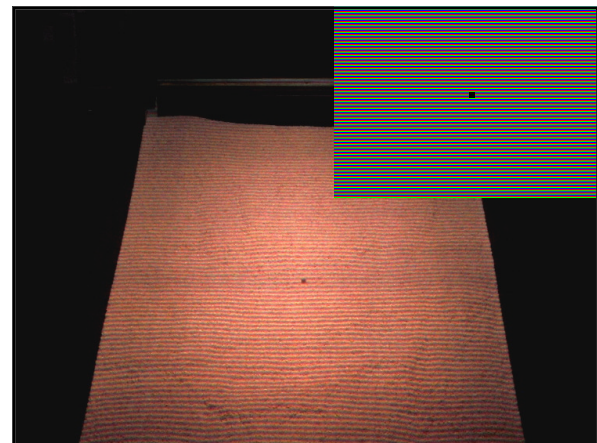
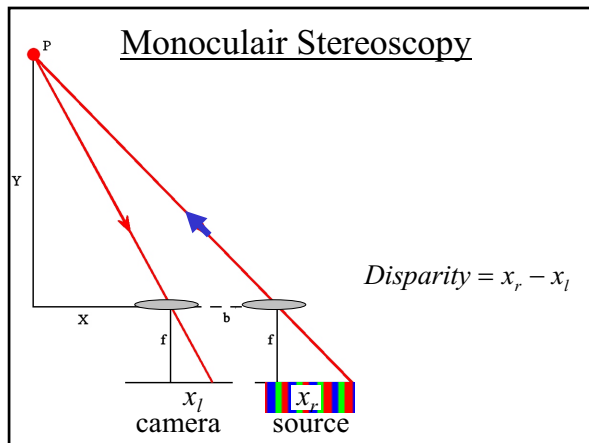
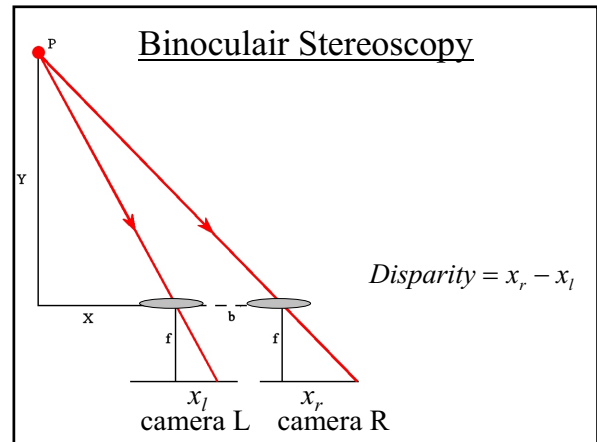
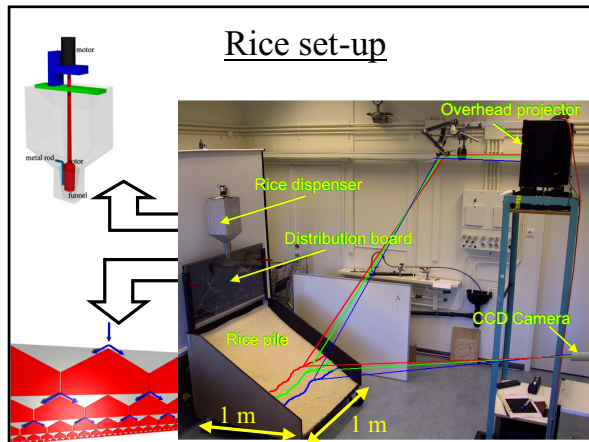
De Gennes' sand

The state thus realized is called the *critical state*, and was first described by Bean. We can get some physical feeling for this critical state by thinking of a sand hill. If the slope of the sand hill exceeds some critical value, the sand starts flowing downwards (avalanche).

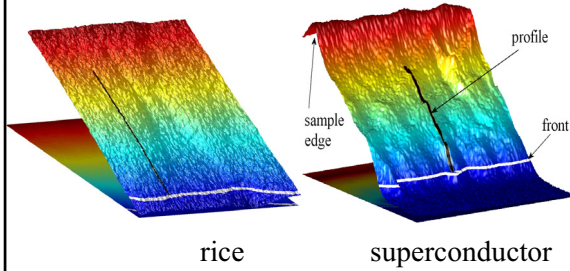
P.G. de Gennes, *Superconductivity of Metals and alloys*, section 3-3



- ### Overview
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 - Roughening of rice piles
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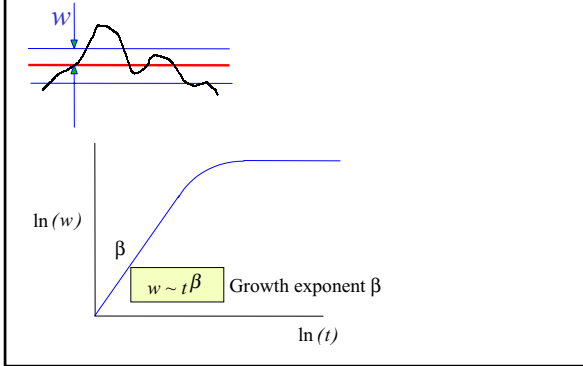
Rice-piles and vortex-scapes



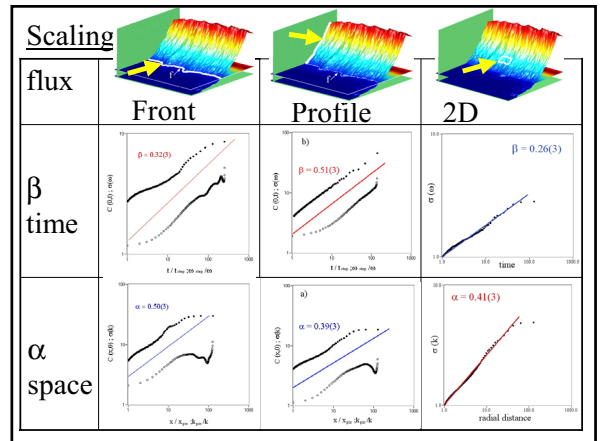
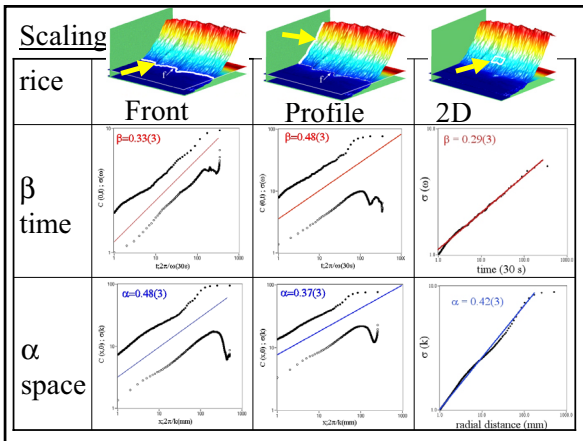
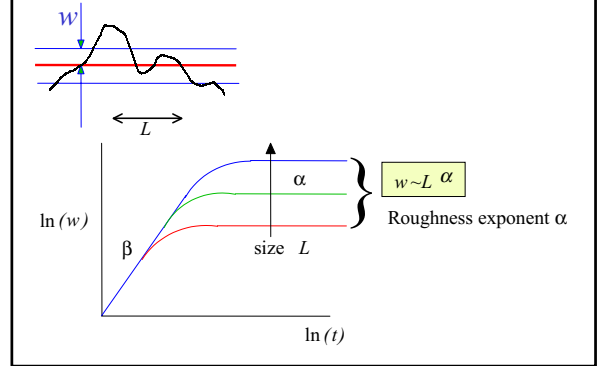
Overview

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Growth exponent β



Roughness exponent α



Exponents

	front		profile		2D	
	rice	flux	rice	flux	rice	flux
β time	0.33 ₃	0.33 ₅	0.48 ₃	0.50 ₅	0.29 ₃	0.26 ₃
α space	0.48 ₃	0.50 ₅	0.37 ₃	0.38 ₅	0.42 ₃	0.41 ₃

Kardar Parisi Zhang equation

A front grows perpendicular to its interface

$$\frac{\partial h}{\partial t} = \underbrace{v\nabla^2 h}_{\text{diffusion}} + \underbrace{\frac{\lambda}{2}(\nabla h)^2}_{\text{non-linear}} + \underbrace{\eta}_{\text{noise}}$$

Kardar Parisi Zhang equation

$$\frac{\partial h}{\partial t} = v\nabla^2 h + \frac{\lambda}{2}(\nabla h)^2 + \eta$$

Kardar Parisi Zhang equation

$$\frac{\partial h}{\partial t} = v\nabla^2 h + \frac{\lambda}{2}(\nabla h)^2 + \eta$$

Mass is not conserved

Exponents: Experiment and KPZ eqn.

	front		profile		2D	
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1D rice experiment Malthe Sørensen et al.

Roughening and SOC

dynamic roughening $\rightarrow \alpha, \beta$

avalanche behavior

size DF $\Rightarrow \tau, D$
shape $\Rightarrow d_B$

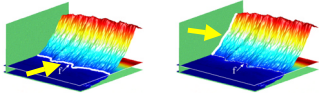
$$\alpha = D - d_B$$

$$\beta = \frac{D - d_B}{D(2 - \tau)}$$

Poster/Affiche: Christoph Aegerter

Conclusions

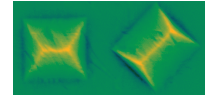
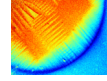
- Rice and superconductors are very similar
- Critical slope
- Growth en roughness exponent front
- Growth en roughness exponent profile
- Growth en roughness exponent surface
- Avalanche size distribution function



Outlook

Use superconductors as a model granular system

- Fully overdamped
- Well defined interactions
- Identical particles
- Control:
 - o Patterning: Anisotropy
 - o Temperature: ratio static/dynamic disorder
 - o Magnetic field: density



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