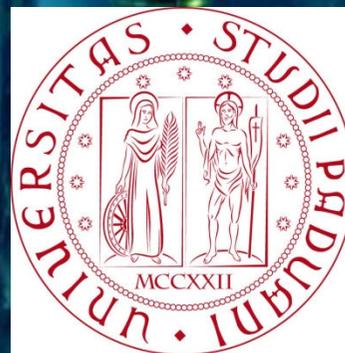


Predicting the NMR spectra of paramagnetic molecules by DFT. From organic free radicals to spin crossover



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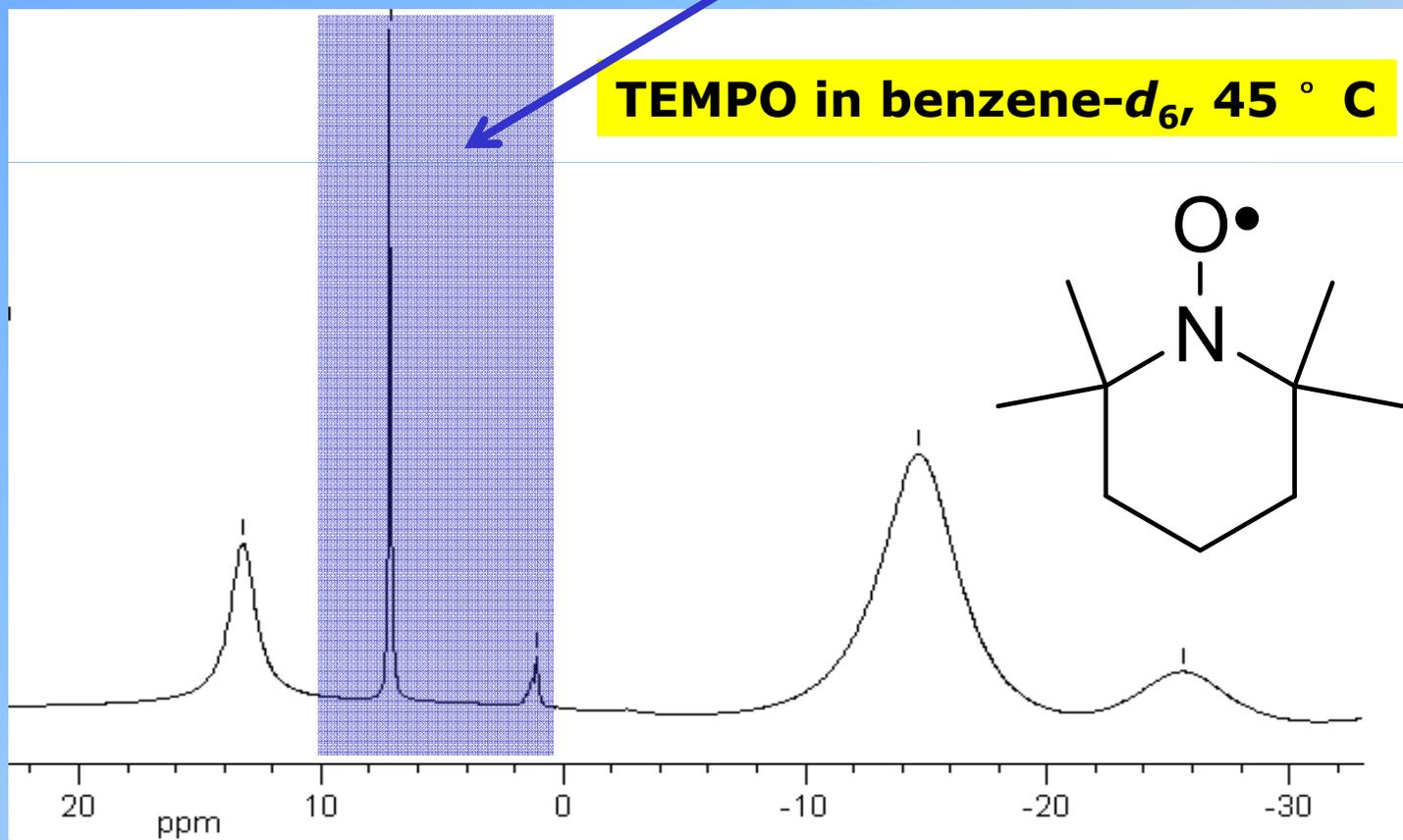
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www.chimica.unipd.it/nmrlab

NMR spectra of paramagnetic molecules

**Broad lines
"Unpredictable" shifts**

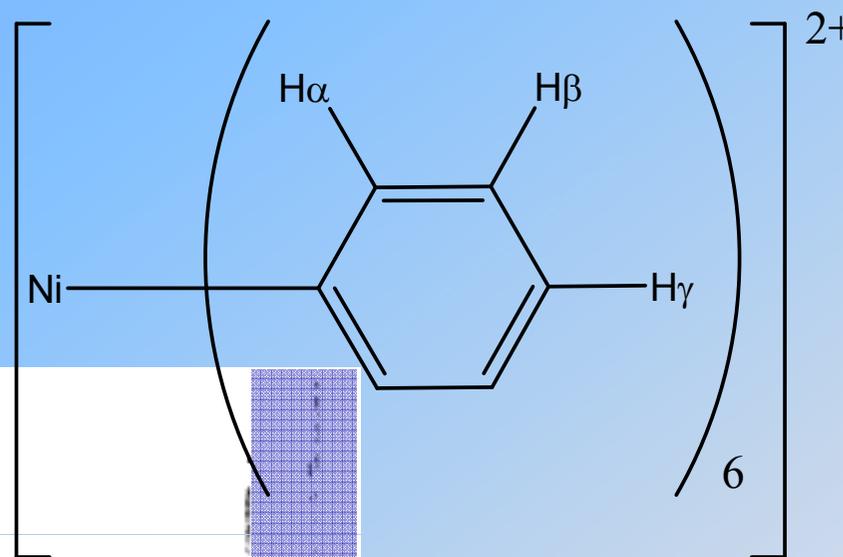
**Typical range of ^1H
shifts in diamagnetic
molecules**

TEMPO in benzene- d_6 , 45 ° C

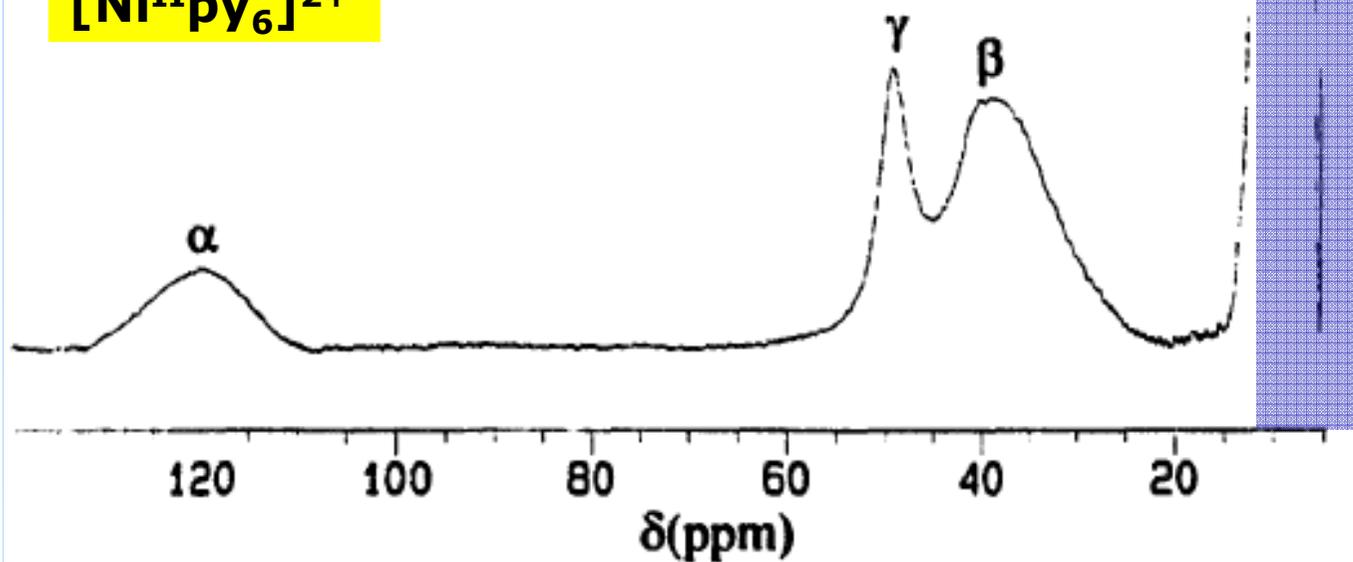


NMR spectra of paramagnetic molecules

Even when a spectrum can be obtained, there are serious assignment problems – often based just on relative intensities



[Ni^{II}py₆]²⁺



Understanding the NMR spectra of paramagnetic molecules

Two major approaches:

1. Determine the relevant parameters empirically from experimental data (Bertini & Firenze school)
2. Compute the relevant parameters from first principles

Relevant parameters:

***g* factor**

Hyperfine couplings *A*

Magnetic susceptibility χ

Modeling the NMR spectra of paramagnetics

$$\delta = \delta_{\text{orb}} + \delta_{\text{FC}} + \delta_{\text{PC}} \quad \delta_{\text{FC}} \gg \delta_{\text{orb}}$$

**Fermi contact term:
approximate expression
depends on g , A , S**

$$\delta_{\text{FC}} = \frac{2\pi}{\gamma_{\text{I}}} g \mu_{\text{B}} A \frac{S(S+1)}{3kT}$$

**Pseudocontact term:
dep. on anisotropy of χ
(negligible w.r.t δ_{FC} in
organic radicals and most
transition metal
complexes)**

$$\delta_{\text{PC}} = \frac{1}{4\pi r^3} \left[(\chi_{zz} - \bar{\chi}) \frac{2z^2 - x^2 - y^2}{2r^2} + (\chi_{xx} - \chi_{yy}) \frac{x^2 - y^2}{2r^2} + \chi_{xy} \frac{2xy}{r^2} + \chi_{xz} \frac{2xz}{r^2} + \chi_{yz} \frac{2yz}{r^2} \right]$$

$$\chi_{kk} = \mu_0 \mu_{\text{B}}^2 g_{kk}^2 \frac{S(S+1)}{3kT}$$

**Spectra in solution (only isotropic terms)
ZFS neglected
Only contact term is calculated by DFT:
requires g , S , A**

Modeling line widths: Solomon-Bloembergen equations

$$R_2 = 1/T_2 = R_2^{\text{dip}} + R_2^{\text{FC}}$$

All dep. on electronic relaxation time τ_S

Dipolar term:
dep. on r, g, S

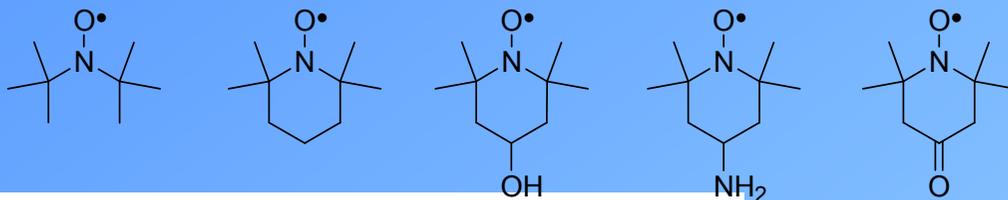
Contact term:
dep. on A, S

$$R_2^{\text{dip}} = \frac{1}{15} \left(\frac{\mu_0}{4\pi} \right)^2 \frac{\gamma_I^2 g_e^2 \mu_B^2 S(S+1)}{r^6} \times$$

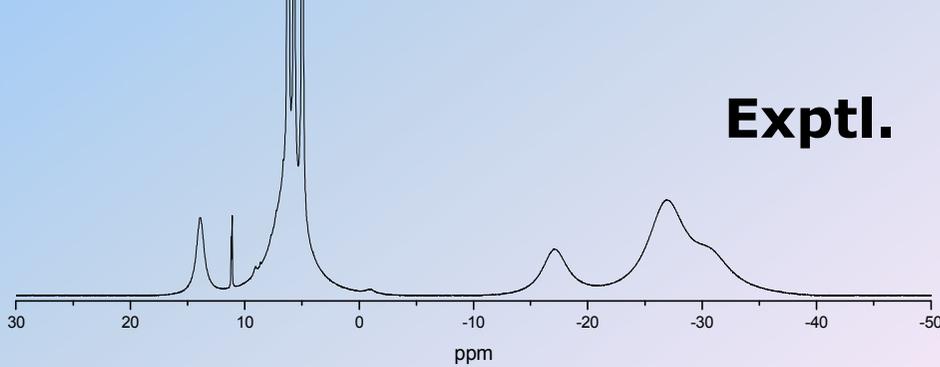
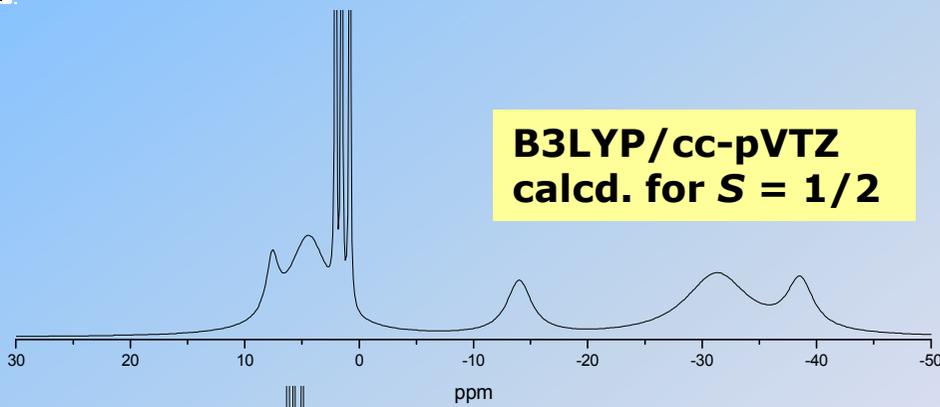
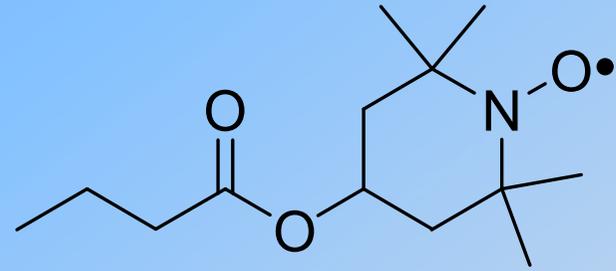
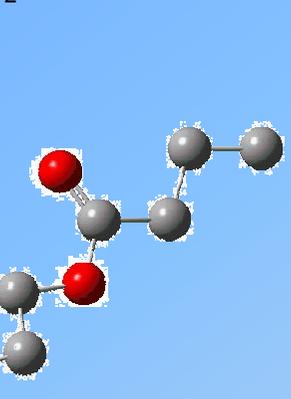
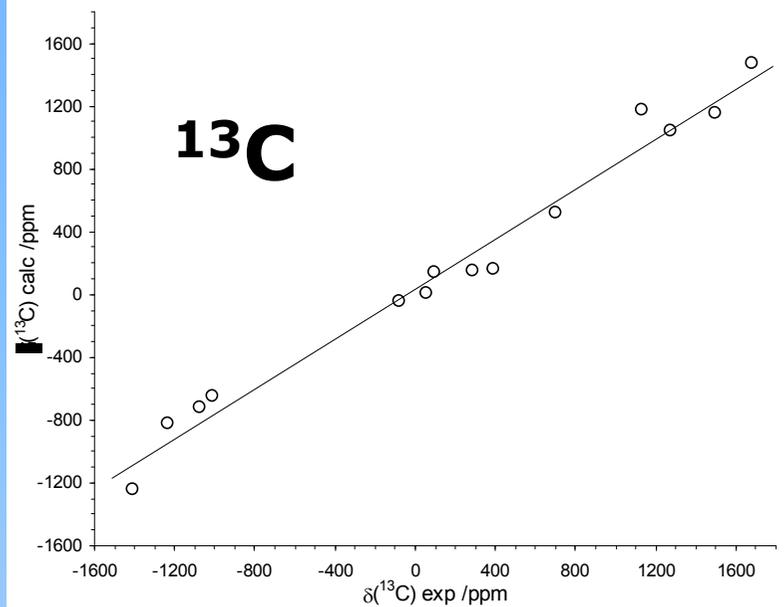
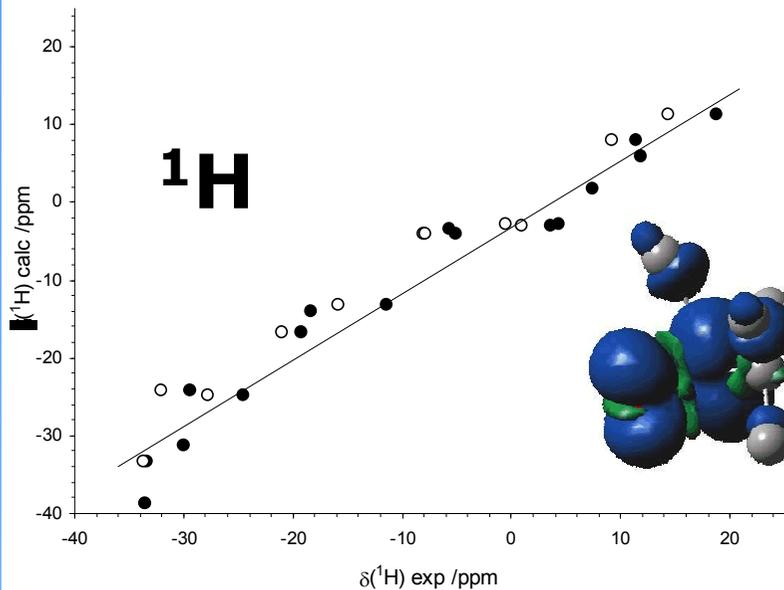
$$\left[4\tau_c + J(\omega_I - \omega_S, \tau_c) + 3J(\omega_I, \tau_c) + 6J(\omega_I + \omega_S, \tau_c) + 6J(\omega_S, \tau_c) \right]$$

$$R_2^{\text{FC}} = \frac{4\pi^2}{3} S(S+1) A^2 \left[\tau_e + J(\omega_S, \tau_e) \right]$$

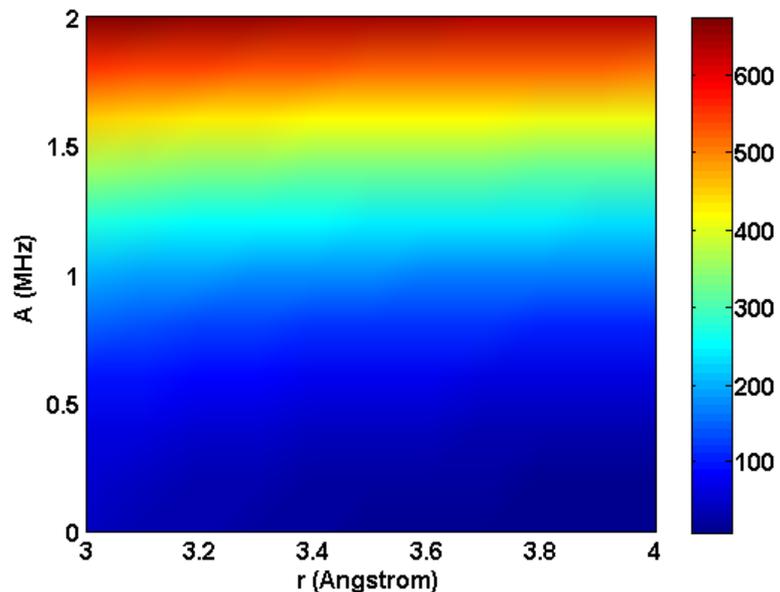
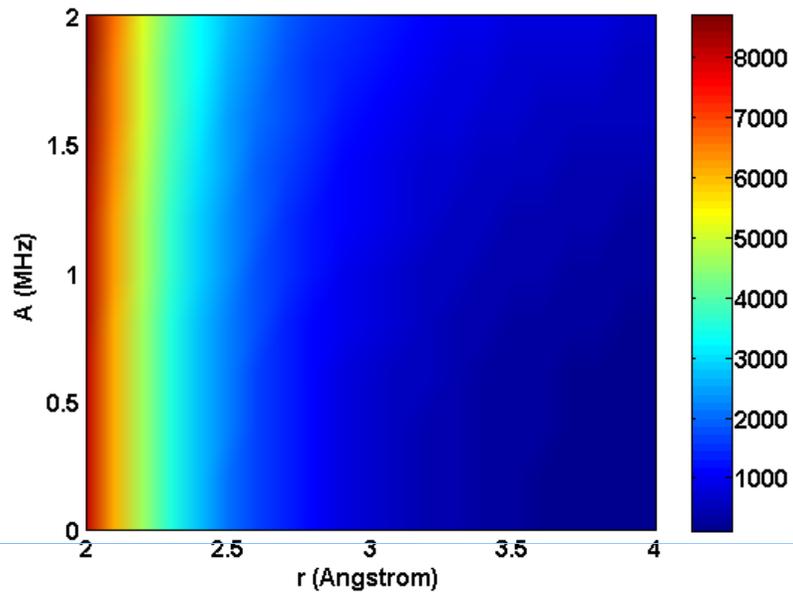
Geometrical (r) and electronic (g, S, A) parameters can be predicted by DFT
Useful for qualitative predictions (relative line widths)



Nitroxides, $S = 1/2$



Predicting line widths: nitroxides, $S = 1/2$



Very slow el. relaxation

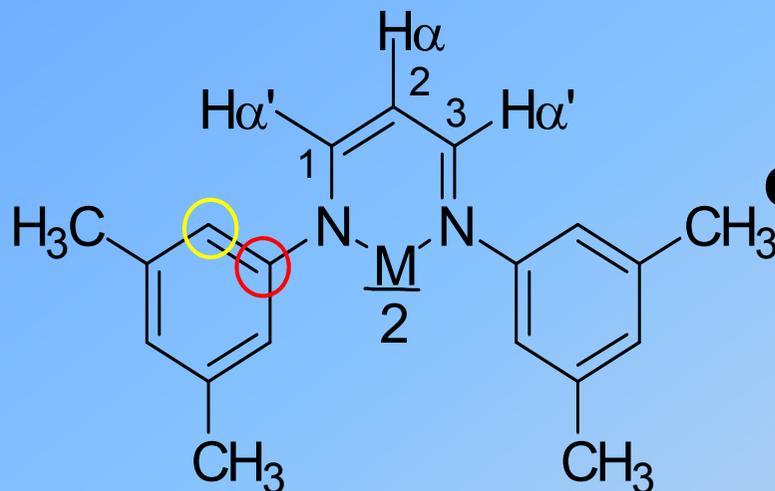
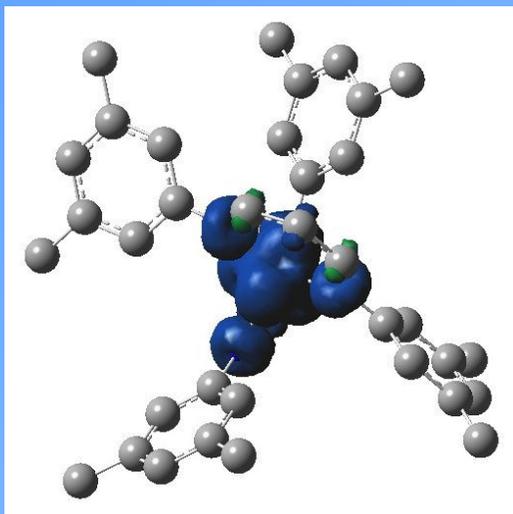
$$\tau_S = 10^{-7} \text{ s}$$

^1H : mostly dipolar

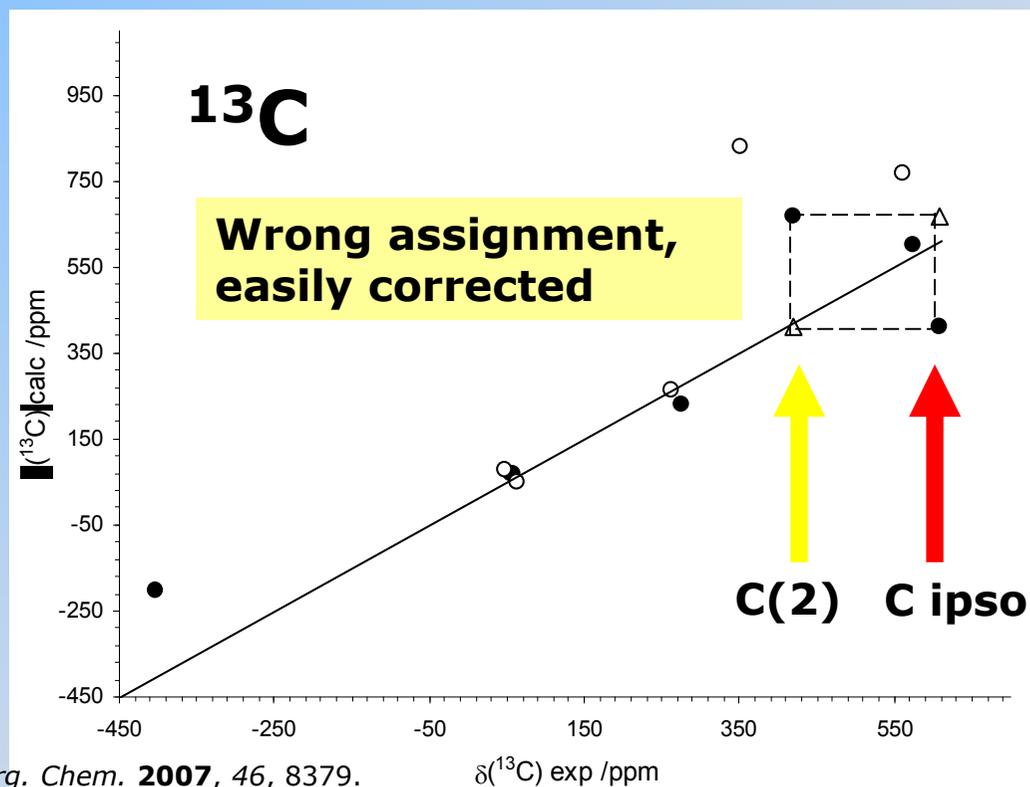
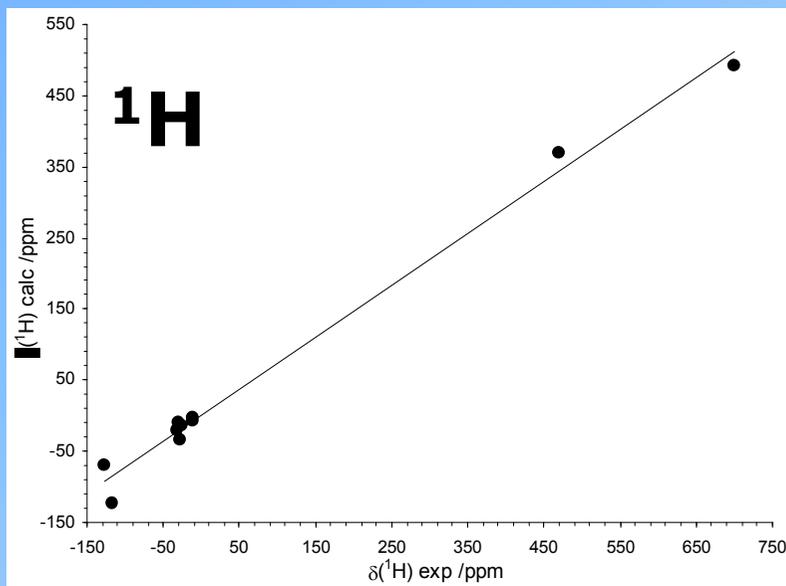
$g = 2$ is assumed

^{13}C : mostly contact

Ni^{II} and Co^{II} vinamidines



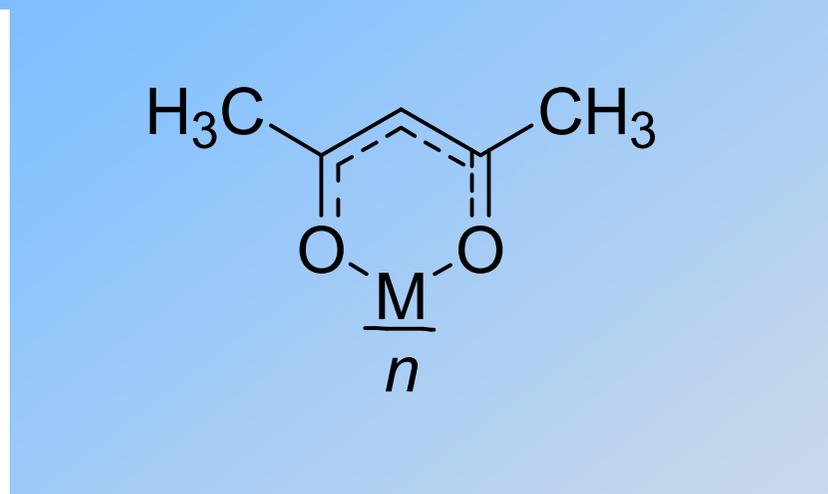
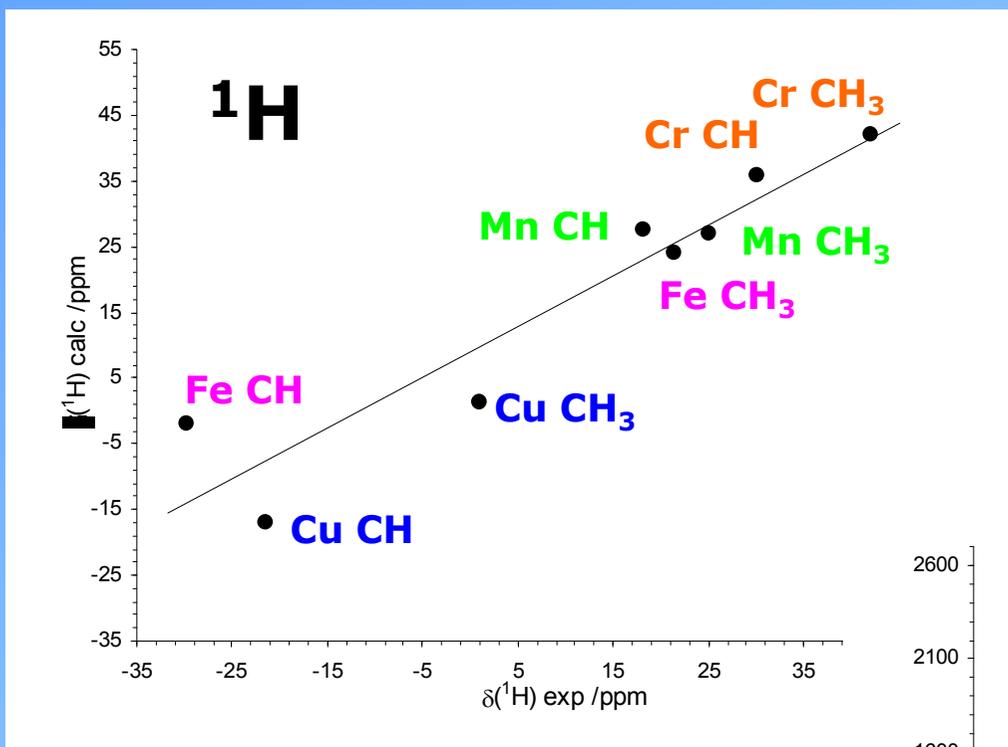
Ni(II), $S = 1$
Co(II), $S = 3/2$



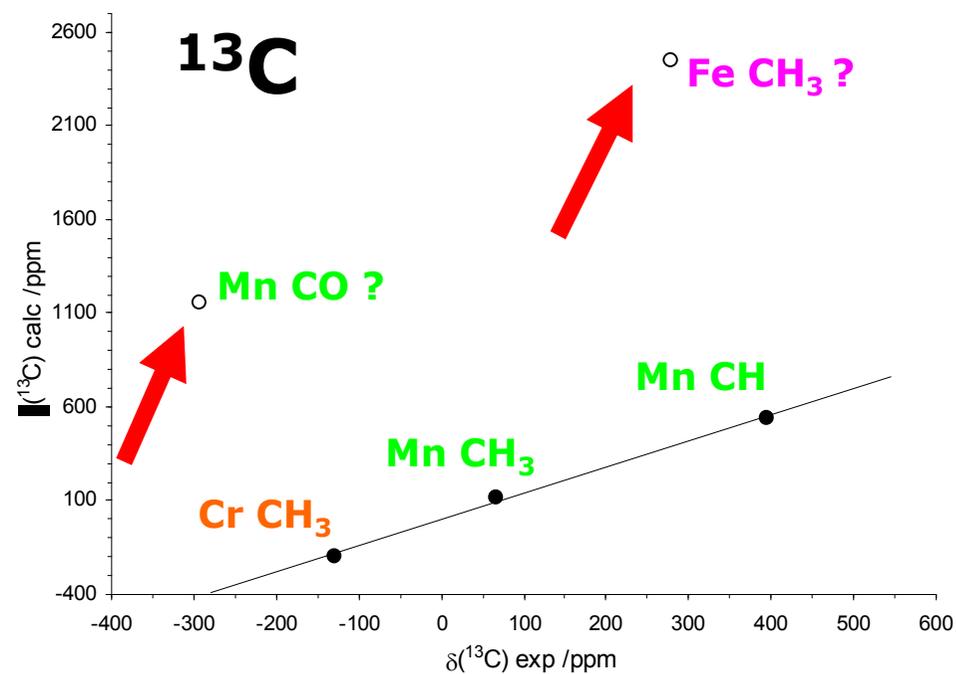
Rastrelli, Bagno, *Chem. Eur. J.* **2009**, *15*, 7990

Knorr, Hauer, Weiss, Polzer, Ruf, Löw, Dvortsák, Böhrer, *Inorg. Chem.* **2007**, *46*, 8379.

Acetylacetonates: Cr^{III}, Mn^{III}, Fe^{III}, Cu^{II}



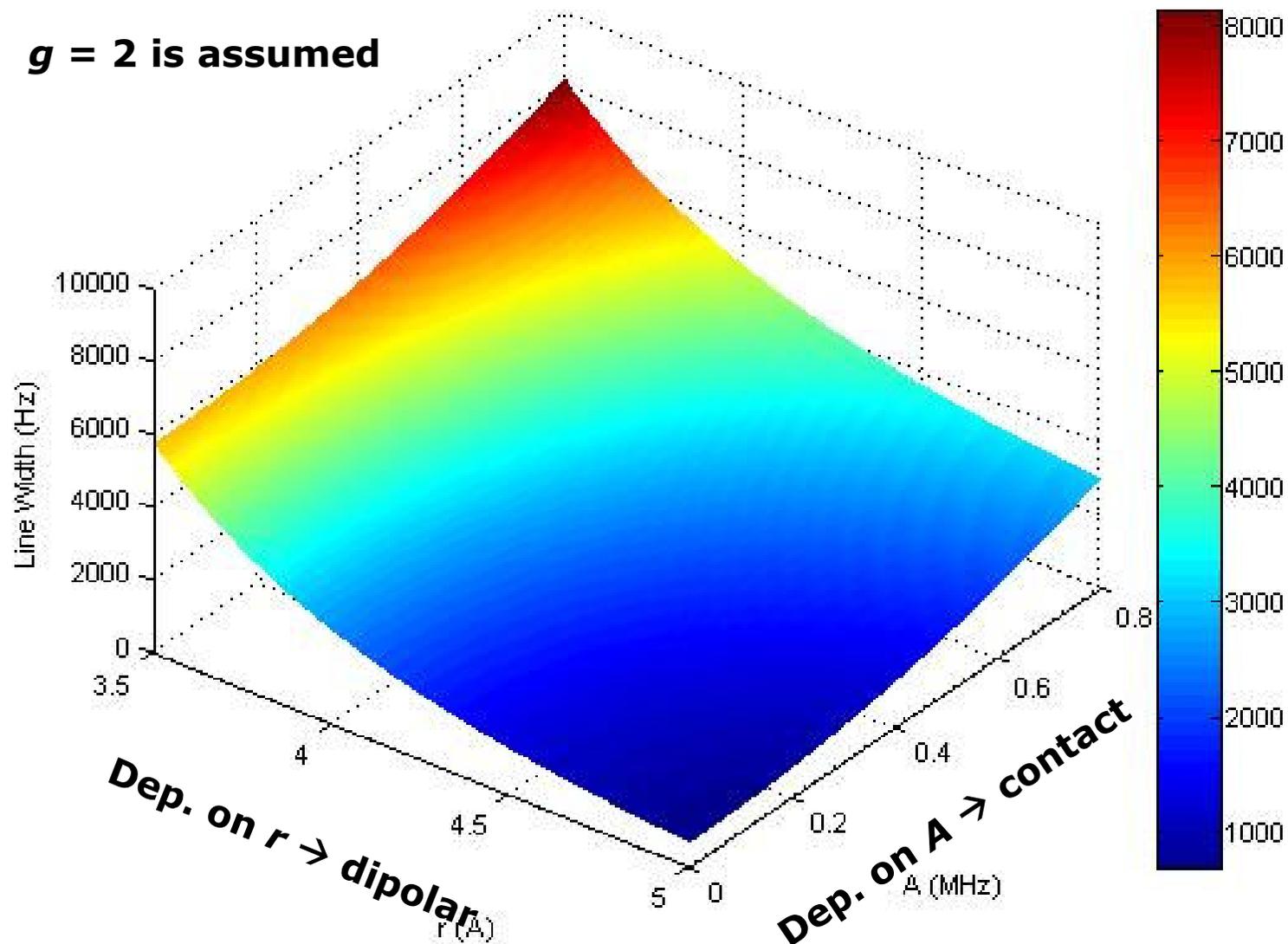
Calculated line widths
too large for detection



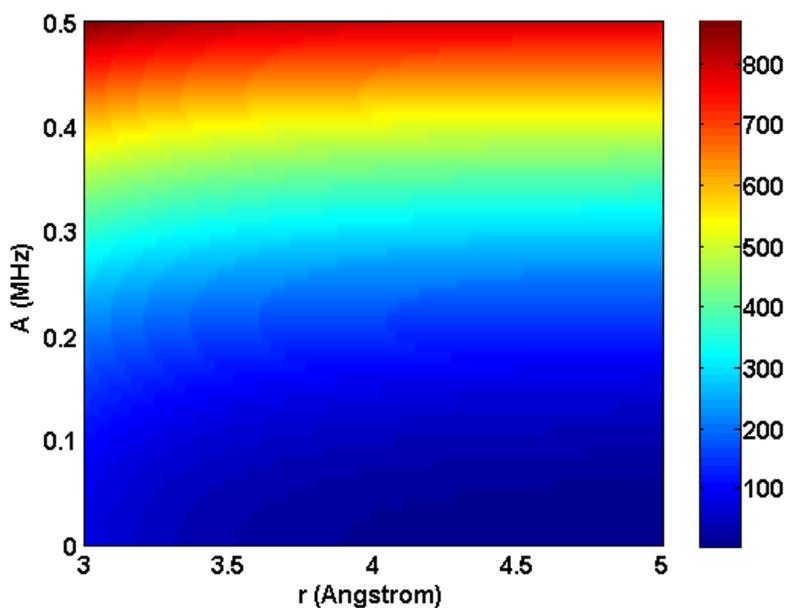
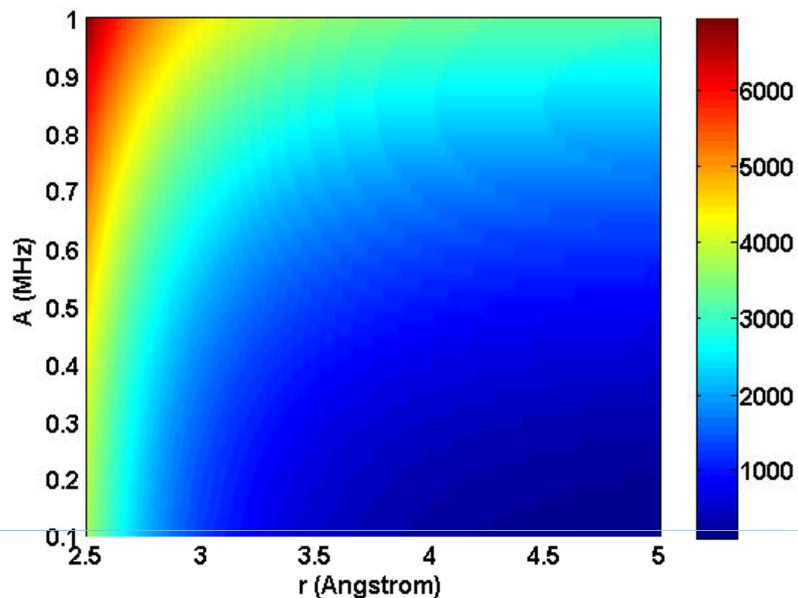
Predicting Line Widths

^1H Line width in Fe(III) complexes. $S = 5/2$, $\tau_S = 0.1$ ns, $\tau_r = 50$ ps

$g = 2$ is assumed



Predicting Line Widths: Cu(II), $S = 1/2$



Slow el. relaxation

$$\tau_S = 10^{-9} \text{ s}$$

NMR is difficult

^1H : dipolar + contact

$g = 2$ is assumed

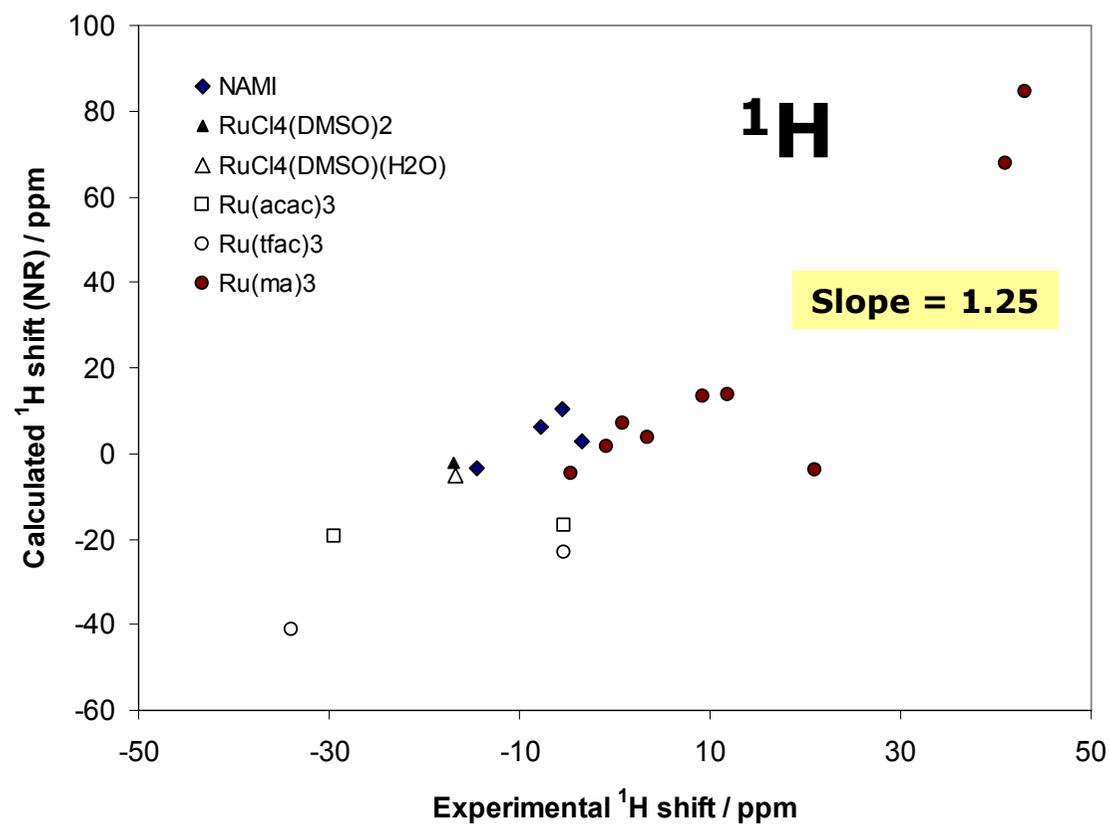
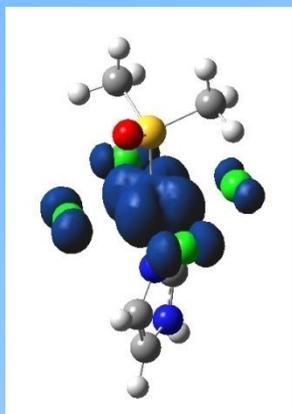
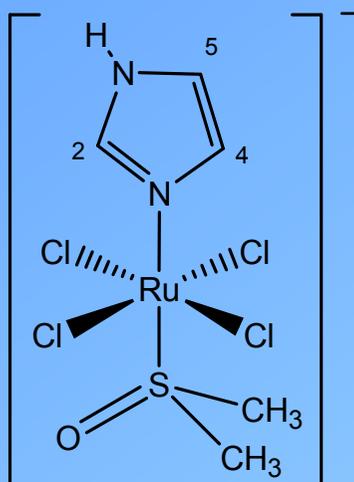
^{13}C : mostly contact

Ru^{III} complexes, S = 1/2

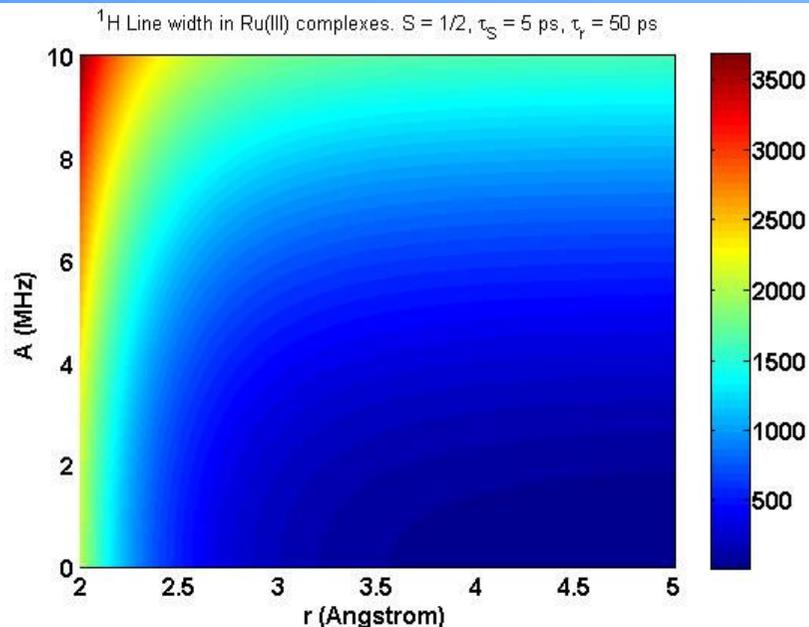
Many important catalysts and anticancer drugs (NAMI)

Very fast electronic relaxation: $\tau_S = 5 \times 10^{-12}$ s \rightarrow NMR relatively easy

Often, very complex equilibria in solution \rightarrow spectra difficult to interpret



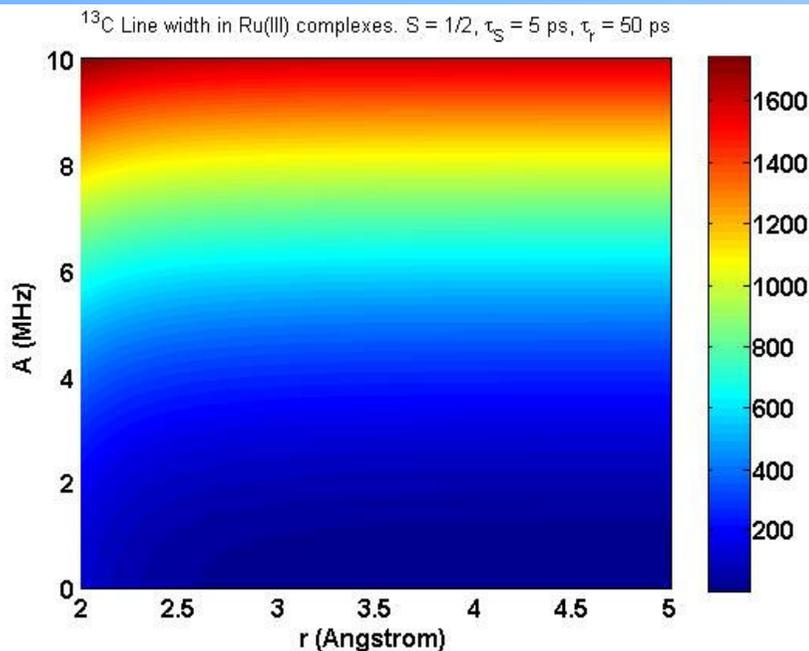
Predicting line widths: Ru(III), $S = 1/2$



Very fast el. relaxation
 $\tau_S = 5 \times 10^{-12} \text{ s}$

^1H : dipolar + contact

$g = 2$ is assumed



^{13}C : mostly contact

Conclusions

DFT calculations allow for prediction and assignment of NMR spectra of paramagnetics, including spin-crossover complexes and reactive intermediates

Lower accuracy than for diamagnetics (also of experimental data)

Acknowledgments



Andrea Borgogno



Federico Rastrelli