

Plan

- Représentation des nombres
- Circuits logiques
- Unité Arithmétique et Logique
- Notions de temps et de mémorisation
- Contrôle et jonction des composants
- Evolution des ordinateurs – Historique
- Un microprocesseur simple
- Programmation d'un microprocesseur
- Système complet
- Les microprocesseurs actuels
- Exploitation de la performance des microprocesseurs

Exploitation de la Performance

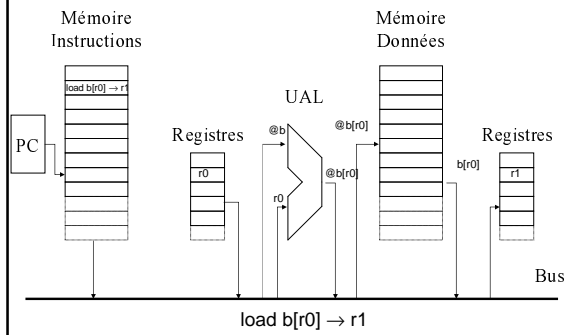
Programme source

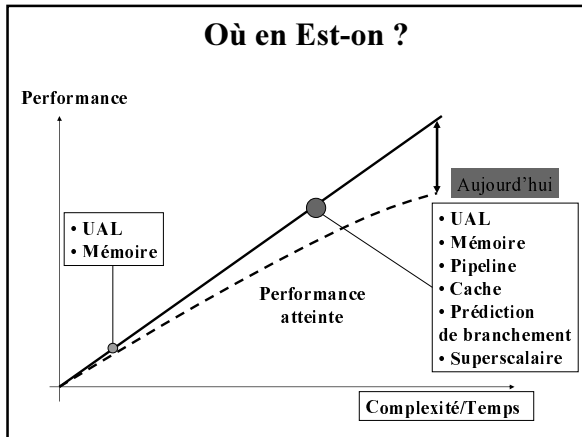
```
for (i=0; i < n; i++) {
    a[i] = b[i] + c[i]
}
```

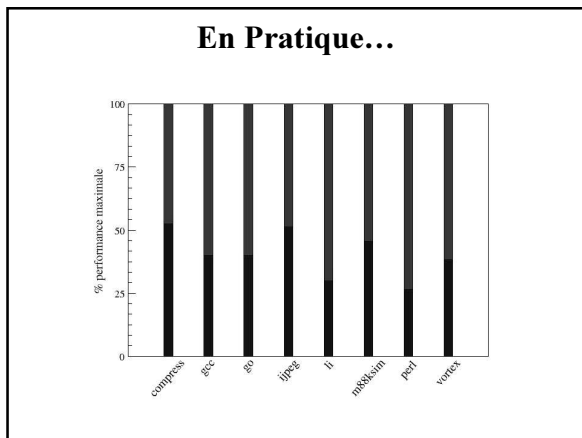
Programme assembleur

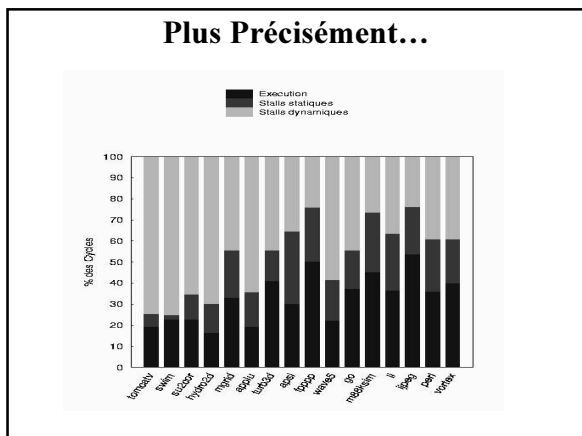
```
0 → r0 ; i=0
label:
load b[r0] → r1 ; b[i]
load c[r0] → r2 ; c[i]
r1 + r2 → r3 ; r3 = b[i] + c[i]
store r3 → a[r0] ; a[i] = r3
r0 + 1 → r0 ; i = i + 1
goto label if r0 < n ; continuer si i < n
```

Etapes d'un Programme sur un Processeur

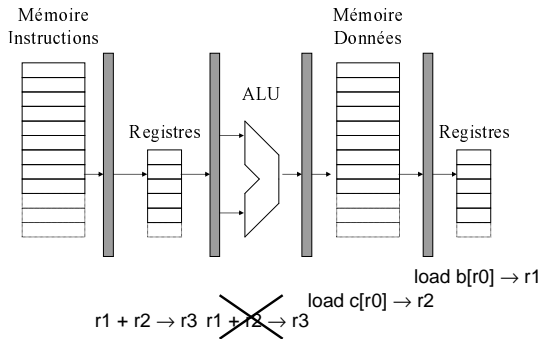








Augmenter le Débit des Instructions



Augmenter le Débit des Instructions

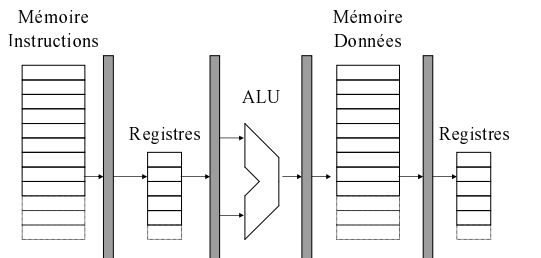
```
void test(int n) {
  for (i=0; i < n; i+=2) {
    a[i] = c[i] + b[i]
    a[i+1]=c[i+1]+b[i+1]
  }
}
```

Programme source

```
.....
load b[r0] → r1
load b[r0+1] → r11
load c[r0] → r2
load c[r0+1] → r12
r1 + r2 → r3
r11 + r12 → r13
.....
```

Programme assembleur

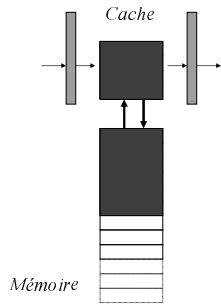
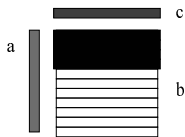
Augmenter le Débit des Instructions



- Optimisations à la compilation (*unrolling, software pipelining...*).

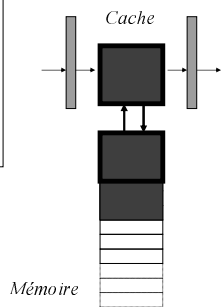
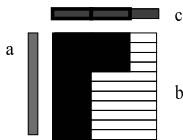
Masquer la Distance à la Mémoire

```
for (j=0; j < n; j++) {
  for (i=0; i < n; i++) {
    a[j] += b[j][i] + c[i];
  }
}
```



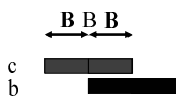
Masquer la Distance à la Mémoire

```
for (ii=0; ii < n; ii += B) {
  for (j=0; j < n; j++) {
    for (i=ii; i < ii+B; i++) {
      a[j] += b[j][i] + c[i];
    }
  }
  ...
}
```

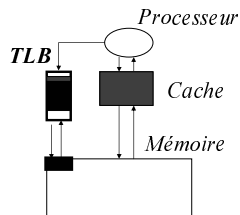


Masquer la Distance à la Mémoire

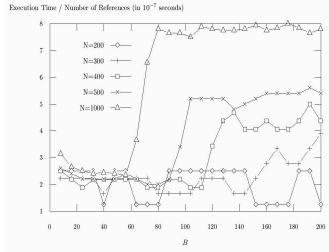
• Conflits de cache.



```
for (jj=0; jj < n; jj += B) {
  for (ii=0; ii < n; ii += B) {
    for (j=jj; j < jj+B; j++) {
      for (i=ii; i < ii+B; i++) {
        a[j] += b[j][i] + c[i];
      }
    }
  }
  ...
}
```



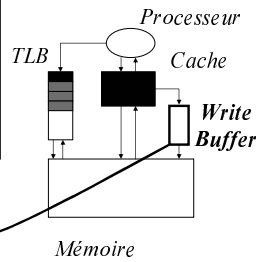
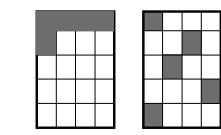
En Pratique...



Transposée de Matrices $N \times N$

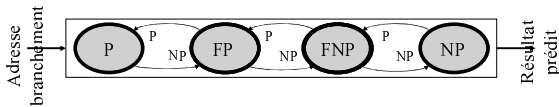
Masquer la Distance à la Mémoire

```
for (jj=0; jj < n; jj += B) {
  for (ii=0; ii < n; ii += B) {
    for (i=ii; i < ii+B; i++) {
      for (j=jj; j < jj+B; j++) {
        a[i][j] = b[j][i];
      }
    }
  }
}
```



Anticiper le Comportement du Programme

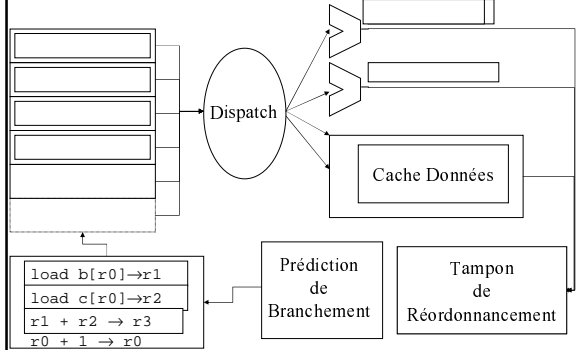
- Prédire le résultat du branchement.



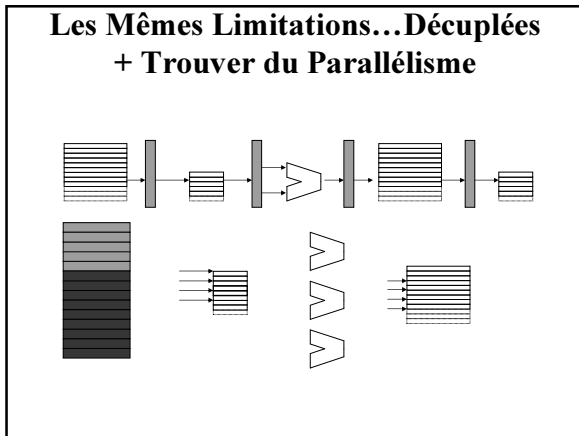
```
...if (b[i] > 5) {
  a[i] = b[i] + c[i];
}
```

```
test (n=1);
...
test (n=4);
...
void test(int n) {
  for (i=0; i < n; i++) {
```

Aujourd'hui: Processeur Superscalaire = Exécuter les Instructions en Parallèle

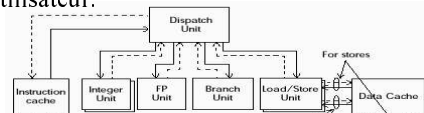
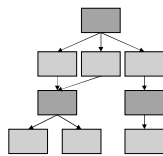


Les Mêmes Limitations...Découplées + Trouver du Parallélisme



Comment Aider le Programmeur ?

- Arbre de décision: phases d'analyse et d'optimisation.
- Exhiber le comportement du programme sur l'architecture à l'utilisateur.



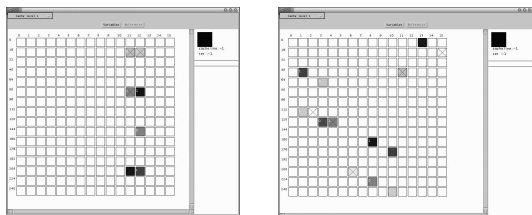
- A terme: optimisations à la compilation.
- Anticiper les architectures pour anticiper les optimisations nécessaires (simulateurs)

Un Cas Réel

- SpecFP95/00 SWIM (météo): 228s sur Alpha.
L1: 57%, L2: 5%, L3: 58%, TLB: 0,19%.

```
...
DO 200 J=1,N
DO 200 I=1,M
  UNEW(I+1,J) = UOLD(I+1,J)+
    . TDTS8*(Z(I+1,J+1)+Z(I+1,J))*(CV(I+1,J+1)
    . +CV(I,J+1)+CV(I,J)
    . +CV(I+1,J))-TDTSDX*(H(I+1,J)-H(I,J))
  VNEW(I,J+1) = VOLD(I,J+1)-TDTS8*(Z(I+1,J+1)+Z(I,J+1))
    . *(CU(I+1,J+1)+CU(I,J+1)+CU(I,J)+CU(I+1,J))
    . -TDTSDY*(H(I,J+1)-H(I,J))
  PNEW(I,J) = POLD(I,J)-TDTSDX*(CU(I+1,J)-CU(I,J))
    . -TDTSDY*(CV(I,J+1)-CV(I,J))
200 CONTINUE
...
```

Cas Réel (padding)



```
COMMON U(N1,N2), V(N1,N2),...
COMMON U(N1,N2), PAD1(71), V(N1,N2),...
          228s → 139s
```

Cas Réel (blocking)

```
DO II=1,M,BI
  DO 200 J=1,N
    DO 200 I=1,MIN(M,II+BI-1)
      ...CV(I,J+1)...CV(I,J)...
          139s → 171s

DO 200 JJ = 1,N, BJ
  DO 200 II=1, M, BI
    DO 200 J = JJ, MIN(N,JJ+BJ-1)
      DO 200 I = II, MIN(M,II+BI-1)
          139s → 136s
```

Cas Réel (fusion de boucles)

```
DO 10 j = 1, n
  DO 10 i = 1, m
    ... = u(i,j)
10 CONTINUE
```

```
DO 20 j = 1, n
  DO 20 i = 1, m
    u(i,j) = ...
20 CONTINUE
```

```
DO 10 j = 1, n
  DO 10 i = 1, m
    ... = u(i,j)
    u(i,j) = ...
10 CONTINUE
```

136s → 127s

Cas Réel (fusion de boucles) Problèmes de Légalité

```
DO 10 j = 1, n
  DO 10 i = 1, m
    ... = u(i-1,j)
10 CONTINUE
DO 20 j = 1, n
  DO 20 i = 1, m
    u(i,j) = ...
20 CONTINUE
```

```
DO 10 j = 1, n
  DO 10 i = 1, m
    ... = u(i-1,j)
    u(i,j) = ...
10 CONTINUE
```

Cas Réel (fusion de boucles) Problèmes de Légalité

```
DO 10 j = 1, n
  DO 10 i = 1, m
    ... = u(i-1,j)
10 CONTINUE
```

```
DO 10 j = 1, n
  DO 10 i = 0, m-1
    ... = u(i,j)
10 CONTINUE
```

```
DO 9 j = 1, n
  DO 9 i = 0, 0
    ... = u(i,j)
9 CONTINUE
DO 10 j = 1, n
  DO 10 i = 1, m-1
    ... = u(i,j)
10 CONTINUE
```

&

```
DO 20 j = 1, n
  DO 20 i = 1, m-1
    u(i,j) = ...
20 CONTINUE
DO 11 j = 1, n
  DO 11 i = m, m
    u(i,j) = ...
11 CONTINUE
```

Cas Réel (fusion de boucles)

Problèmes de Légalité

```
DO 10 j = 1, n
  DO 10 i = 1, m
    ... = u(i-1,j)
10 CONTINUE
DO 20 j = 1, n
  DO 20 i = 1, m
    u(i,j) = ...
20 CONTINUE
```

```
DO 9 j = 1, n
  DO 9 i = 0, 0
    ... = u(i,j)
9 CONTINUE
DO 10 j = 1, n
  DO 10 i = 1, m-1
    ... = u(i,j)
    u(i,j) = ...
10 CONTINUE
DO 11 j = 1, n
  DO 11 i = m, m
    u(i,j) = ...
11 CONTINUE
```

Cas Réel (substitution)

```
DO 10 i
  DO 10 j
    CU(i,j) = 0.5*(P(i,j-1)+P(i-1,j))*U(i,j)
10 CONTINUE
DO 20 i
  DO 20 j
    ... = CU(i,j) + CU(i,j+1)
20 CONTINUE
```

```
DO 20 i
  DO 20 j
    ... = 0.5*(P(i,j-1)+P(i-1,j))*U(i,j)
    + 0.5*(P(i,j)+P(i-1,j+1))*U(i,j+1)
20 CONTINUE
```

• 60% de calculs en plus **127s → 97s**

Cas Réel

Bilan

228s → 97s
(speedup = 2,35)

